Name $\qquad$ Date $\qquad$

1. Mr. Kindle invested some money in the stock market. He tracks his gains and losses using a computer program. Mr. Kindle receives a daily email that updates him on all his transactions from the previous day. This morning, his email read as follows:

Good morning, Mr. Kindle,
Yesterday's investment activity included a loss of \$800, a gain of \$960, and another gain of $\$ 230$. Log in now to see your current balance.
a. Write an integer to represent each gain and loss.

| Description | Integer Representation |
| :---: | :---: |
| Loss of $\$ 800$ |  |
| Gain of $\$ 960$ |  |
| Gain of \$230 |  |

b. Mr. Kindle noticed that an error had been made on his account. The "loss of $\$ 800$ " should have been a "gain of $\$ 800$." Locate and label both points that represent "a loss of $\$ 800$ " and "a gain of $\$ 800^{\prime \prime}$ on the number line below. Describe the relationship of these two numbers when zero represents no change (gain or loss).

c. Mr. Kindle wanted to correct the error, so he entered $-(-\$ 800)$ into the program. He made a note that read, "The opposite of the opposite of $\$ 800$ is $\$ 800$." Is his reasoning correct? Explain.
2. At 6: 00 a.m., Buffalo, NY had a temperature of $10^{\circ} \mathrm{F}$. At noon, the temperature was $-10^{\circ} \mathrm{F}$, and at midnight it was $-20^{\circ} \mathrm{F}$.
a. Write a statement comparing $-10^{\circ} \mathrm{F}$ and $-20^{\circ} \mathrm{F}$.

b. Write an inequality statement that shows the relationship between the three recorded temperatures. Which temperature is the warmest?
c. Explain how to use absolute value to find the number of degrees below zero the temperature was at noon.
d. In Peekskill, NY, the temperature at 6: $00 \mathrm{a} . \mathrm{m}$. was $-12^{\circ} \mathrm{F}$. At noon, the temperature was the exact opposite of Buffalo's temperature at 6:00 a.m. At midnight, a meteorologist recorded the temperature as $-6^{\circ} \mathrm{F}$ in Peekskill. He concluded that, "For temperatures below zero, as the temperature increases, the absolute value of the temperature decreases." Is his conclusion valid? Explain and use a vertical number line to support your answer.
3. Choose an integer between 0 and -5 on a number line, and label the point $P$. Locate and label each of the following points and their values on the number line.

a. Label point $A$ : the opposite of $P$.
b. Label point $B$ : a number less than $P$.
c. Label point $C$ : a number greater than $P$.
d. Label point $D$ : a number half way between $P$ and the integer to the right of $P$.
4. Julia is learning about elevation in math class. She decided to research some facts about New York State to better understand the concept. Here are some facts that she found.

- Mount Marcy is the highest point in New York State. It is 5,343 feet above sea level.
- Lake Erie is 210 feet below sea level.
- The elevation of Niagara Falls, NY is 614 feet above sea level.
- The lobby of the Empire State Building is 50 feet above sea level.
- New York State borders the Atlantic Coast, which is at sea level.
- The lowest point of Cayuga Lake is 435 feet below sea level.
a. Write an integer that represents each location in relationship to sea level.

Mount Marcy
Lake Erie
Niagara Falls, NY
Empire State Building
Atlantic Coast
Cayuga Lake $\qquad$
b. Explain what negative and positive numbers tell Julia about elevation.
c. Order the elevations from least to greatest, and then state their absolute values. Use the chart below to record your work.

| Elevations | Absolute Values of Elevations |
| :--- | :--- |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |

d. Circle the row in the table that represents sea level. Describe how the order of the elevations below sea level compares to the order of their absolute values. Describe how the order of the elevations above sea level compares to the order of their absolute values.
5. For centuries, a mysterious sea serpent has been rumored to live at the bottom of Mysterious Lake. A team of historians used a computer program to plot the last five positions of the sightings.

a. Locate and label the locations of the last four sightings: $A\left(-9 \frac{1}{2}, 0\right), B(-3,-4.75), C(9,2)$, and $D(8,-2.5)$.
b. Over time, most of the sightings occurred in Quadrant III. Write the coordinates of a point that lies in Quadrant III.
c. What is the distance between point $A$ and the point $\left(9 \frac{1}{2}, 0\right)$ ? Show your work to support your answer.
d. What are the coordinates of point $E$ on the coordinate plane?
e. Point $F$ is related to point $E$. Its $x$-coordinate is the same as point $E$ 's, but its $y$-coordinate is the opposite of point $E$ 's. Locate and label point $F$. What are the coordinates? How far apart are points $E$ and $F$ ? Explain how you arrived at your answer.
$\left.\begin{array}{|c|l|l|l|l|}\hline \text { A Progression Toward Mastery } \\ \text { Assessment } & \begin{array}{l}\text { STEP 1 } \\ \text { Missing or } \\ \text { incorrect answer } \\ \text { and little evidence } \\ \text { of reasoning or } \\ \text { application of } \\ \text { mathematics to } \\ \text { solve the problem. }\end{array} & \begin{array}{l}\text { STEP 2 } \\ \text { Missing or incorrect } \\ \text { answer but } \\ \text { evidence of some } \\ \text { reasoning or } \\ \text { application of } \\ \text { mathematics to } \\ \text { solve the problem. }\end{array} & \begin{array}{l}\text { STEP 3 } \\ \text { A correct answer } \\ \text { with some evidence } \\ \text { of reasoning or } \\ \text { application of } \\ \text { mathematics to } \\ \text { solve the problem, } \\ \text { or an incorrect }\end{array} & \begin{array}{l}\text { A correct answer } \\ \text { supported by }\end{array} \\ \text { substantial } \\ \text { evidence of solid } \\ \text { reasoning or } \\ \text { application of } \\ \text { answer with }\end{array}\right\}$
$\left.\begin{array}{|c|c|l|l|l|l|}\hline & & \begin{array}{l}\text { word "opposite" } \\ \text { although it does not } \\ \text { address the meaning of } \\ \text { "the opposite of the } \\ \text { opposite of } \$ 800 \text {." }\end{array} & \begin{array}{l}\text { statement is correct. }\end{array} & \begin{array}{l}\text { fact that the opposite of } \\ \text { the opposite of a }\end{array} \\ \text { number is the number } \\ \text { itself. }\end{array}\right]$

|  |  |  | an accurate vertical number line model. |  | temperatures. |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 3 | $\begin{gathered} \text { a } \\ \text { 6.NS.C.6a } \\ \text { 6.NS.C.6c } \end{gathered}$ | Student response is missing. <br> OR <br> There is little or no evidence of understanding in the work shown to determine the correct location and value of point $A$. | Student incorrectly locates point $A$ (the opposite of point $P$ ) on the number line; however, the location of point $A$ indicates some understanding of an integer's opposite. | Student locates the correct point on the number line for the opposite (1, 2, 3, or 4) based on the integer between 0 and $-5(-1$, $-2,-3$, or -4 ). <br> However, the opposite is not labeled on the number line as point $A$. OR <br> Student correctly locates and labels point $A$, the opposite of point $P$, but point $P$ does not represent an integer between 0 and -5 . | A correct answer of the opposite ( $1,2,3$, or 4 ) is given based on correctly choosing an integer between 0 and $-5(-1$, $-2,-3$, or -4 ) as point $P$. The opposite is correctly located on the number line and labeled as point $A$. |
|  | $\begin{gathered} \text { b } \\ \text { 6.NS.C.6c } \\ \text { 6.NS.C. } 7 a \end{gathered}$ | Student response is missing. <br> OR <br> There is little or no evidence of understanding in the work shown to determine the correct location and value of point $B$. | Student incorrectly locates point $B$ on the number line; however, the location of point $B$ on the number line indicates that point $B$ is not equal to point $P$. | Student correctly locates a point on the number line to the left of point $P$; however, the point is not labeled as point $B$. <br> OR <br> Student correctly locates and labels point $B$ even though point $P$ does not represent an integer between 0 and -5 . | Point $B$ is correctly graphed and labeled on the number line. The point is to the left of point $P$ on the number line; for example, if point $P$ is -3 , point $B$ could be -5 . |
|  | C <br> 6.NS.C.6c <br> 6.NS.C.7a | Student response is missing. <br> OR <br> There is little or no evidence of understanding in the work shown to determine the correct location and value of point $C$. | Student incorrectly locates point $C$ on the number line; however, the location of point $C$ on the number line indicates that point $C$ is not equal to point $P$. | Student correctly locates a point on the number line to the right of point $P$; however, the point is not labeled as point $C$. OR <br> Student correctly locates and labels point $C$, even though point $P$ does not represent an integer between 0 and -5 . | Point $C$ is correctly graphed and labeled on the number line. The point is to the right of point $P$ on the number line; for example, if point $P$ is -3 , point $C$ could be 0 . |
|  | d 6.NS.C.6c | Student response is missing. <br> OR <br> There is little or no evidence of understanding in the work shown to determine the correct location and value of point $D$. | Student incorrectly locates point $D$ on the number line; however, the location of point $D$ is to the right of point $P$ although not half way between the integer to the right of point $P$ and point $P$. | Student correctly locates the number that is halfway between point $P$ and the integer to the right of point $P$; however, the point is not labeled as point $D$. OR <br> Student correctly locates and labels point $D$ even | Point $D$ is correctly graphed and labeled on the number line. The point is exactly halfway between point $P$ and the integer to the right of point $P$ on the number line; for example, if point $P$ is -3 , point $D$ would be -2.5 . |


|  |  |  |  | though point $P$ does not represent an integer between 0 and -5 . <br> OR <br> Student locates and labels point $D$ as the number that is halfway between point $P$ and the integer to the left of point $P$. |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 4 | a $\text { 6.NS.C. } 5$ | Student response is missing. <br> OR <br> Student makes an effort to answer the question, but none of the responses are correct. | Student response includes 1, 2, 3, or at most 4 locations represented with correct integers. | Student response includes 5 locations represented with correct integers. | Student response includes all 6 locations represented with the correct integers: $\begin{aligned} & 5,343,-210,614,50 \\ & 0,-435 . \end{aligned}$ |
|  | $\begin{gathered} \text { b } \\ \text { 6.NS.C. } 5 \\ \text { 6.NS.C. } 7 \mathrm{c} \\ \text { 6.NS.C.7d } \end{gathered}$ | Student response is missing. <br> OR <br> Student makes an effort to answer the question, but the explanation does not provide any evidence of understanding. | Student attempts to provide an explanation, and the explanation is supported with some evidence of reasoning, but it is incomplete. For example, "Positive and negative numbers tell Julia about sea level." | Student response includes an explanation with evidence of solid reasoning, but the explanation lacks details. For example, "Positive and negative numbers tell Julia how far from sea level a location is." | Student response is correct. An accurate and complete explanation is given, stating that a positive number indicates an elevation above sea level, and a negative number indicates an elevation below sea level. |
|  | c $\begin{aligned} & \text { 6.NS.C.7b } \\ & \text { 6.NS.C.7c } \end{aligned}$ | Student responses are missing, and/or student only partially fills in the chart. | Student fills in the chart attempting to order the elevations and find their absolute values, but more than two numerical errors are made. <br> OR <br> Student fills in the chart and correctly finds the absolute value of each number but does not order the elevations from least to greatest or from greatest to least. | Student fills in the chart ordering the elevations and listing their absolute values, but one or two numbers are incorrect. <br> OR <br> Student fills in the chart and correctly finds the absolute value of each number; however, the elevations are ordered from greatest to least rather than least to greatest. | Student response is correct and complete. The chart is accurately completed with elevations ordered from least to greatest and their respective absolute values recorded. |
|  | $\begin{gathered} \text { d } \\ \text { 6.NS.C. } 5 \\ \text { 6.NS.C. } 7 \mathrm{c} \\ \text { 6.NS.C.7d } \end{gathered}$ | Student responses are missing. <br> OR <br> Student circles the row with zeros in the chart to represent sea level but provides no further explanation. | Student circles the row with zeros in the chart to represent sea level and provides an explanation that contains some evidence of reasoning although the explanation may be incomplete or | Student circles the row with zeros in the chart to represent sea level AND provides a valid explanation, but it lacks details. It is supported with some evidence of reasoning though it may | Student circles the row with zeros in the chart to represent sea level, AND an accurate explanation is given and is supported with substantial evidence that sea levels below zero will have |


|  |  |  | contain inaccurate statements. | be general in nature. For example, "Elevations below sea level will have different absolute values." | opposite absolute values as their elevations, and sea levels above zero will have the same absolute values as their elevations. |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 5 |  | Student response is missing. <br> OR <br> All 4 points are inaccurately located. | Student accurately locates and labels 1-2 points. | Student accurately locates and labels 3 points. | Student accurately locates and labels all 4 points. |
|  | b $\text { 6.NS.C. } 8$ | Student response is missing. | Student response is incorrect AND neither coordinate is stated as a negative number. | Student response is incorrect, but one of the coordinates is correct. For example, $(-6,3)$ is the response, and the $x$ coordinate is correct. | Student provides a correct answer expressed as an ordered pair where both the $x$ and $y$-coordinates are negative numbers. For example, $(-6,-3)$. |
|  | C $\text { 6.NS.C. } 8$ | Student response is missing. <br> OR <br> An incorrect answer is given with little or no application of mathematics used to solve the problem. | Student provides an incorrect answer for the distance, but demonstrates some evidence of understanding how to find the distance between the points although a significant error was made. | Student response correctly states a distance of 19 units, but the work shown does not adequately support the answer. <br> OR <br> An incorrect answer for the distance is given, but the work shown demonstrates a correct process with a minor error. For example, the student made an error in their addition or miscounted when using the number line. | Student response is complete and correct. The distance between the points is found to be 19 units, and an accurate and complete explanation, process, and/or diagram is provided to support the answer. |
|  | d <br> 6.NS.C. 8 | Student response is missing. | Student response is incorrect and neither coordinate is stated correctly. | Student response is incorrect, but one of the coordinates is correct. For example, $(5,-2)$ is the response, and the $x$ coordinate is correct. | Student response is correct and complete. Point $E$ 's coordinates are $(5,2)$. |


| e $\begin{array}{r} \text { 6.NS.C.6b } \\ \text { 6.NS.C. } \end{array}$ | Student response is missing. <br> OR <br> Student makes an effort to answer the question, but the answer and/or explanation do not provide any evidence of understanding. | Student does not arrive at the correct coordinates for point $F$ and may or may not arrive at the correct distance between points $E$ and $F$. But there is some evidence of understanding how to locate a point related to point $E$ and/or how to find the distance between the two points. | Student response is partially correct. Point $F$ is correctly located and labeled, and its coordinates are given as ( $5,-2$ ), but the student is unable to arrive at the correct distance between points $E$ and $F$ or is unable to explain the process accurately. | Student correctly completes all 3 tasks. Point $F$ is correctly located and labeled on the coordinate grid, and its coordinates are given as $(5,-2)$. The distance between points $E$ and $F$ is 4 units and is supported with substantial evidence of reasoning. |
| :---: | :---: | :---: | :---: | :---: |

Name Student

1. Mr. Kindle invested some money in the stock market. He tracks his gains and losses using a computer program. Mr. Kindle receives a daily email that updates him on all his transactions from the previous day. This morning, his email read as follows:

Good morning, Mr. Kindle,

Yesterday's investment activity included a loss of \$800, a gain of \$960, and another gain of \$230. Log in now to see your current balance.
a. Write an integer to represent each gain and loss.

| Description | Integer <br> Representation |
| :---: | :---: |
| Loss of $\$ 800$ | -800 |
| Gain of $\$ 960$ | 960 |
| Gain of $\$ 230$ | 230 |

b. Mr. Kindle noticed that an error had been made on his account. The "loss of $\$ 800$ " should have been a "gain of $\$ 800$." Locate and label both points that represent "a loss of $\$ 800$ " and "a gain of $\$ 800^{\prime \prime}$ on the number line below. Describe the relationship of these two numbers when zero represents no change (gain or loss).

-800 and 800 are opposites.
c. Mr. Kindle wanted to correct the error, so he entered $-(-\$ 800)$ into the program. He made a note that read, "The opposite of the opposite of $\$ 800$ is $\$ 800$." Is his reasoning correct? Explain.

Yes, he is correct. The opposite of 800 is -800 , and the opposite of that is 800 .

2. At 6: 00 a.m., Buffalo, NY had a temperature of $10^{\circ} \mathrm{F}$. At noon, the temperature was $-10^{\circ} \mathrm{F}$, and at midnight it was $-20^{\circ} \mathrm{F}$.
a. Write a statement comparing $-10^{\circ} \mathrm{F}$ and $-20^{\circ} \mathrm{F}$.

$$
-10^{\circ} \mathrm{F} \text { is warmer than }-20^{\circ} \mathrm{F} \text {. }
$$



6: 00 a.m.


Noon


Midnight
b. Write an inequality statement that shows the relationship between the three recorded temperatures. Which temperature is the warmest?

$$
\begin{aligned}
& -20<-10<10 \\
& 10^{\circ} \mathrm{F} \text { is the warmest temperature. }
\end{aligned}
$$

c. Explain how to use absolute value to find the number of degrees below zero the temperature was at noon.

$$
\begin{aligned}
& |-10|=10 \begin{array}{l}
\text { The temperature at noon } \\
\text { was } 10^{\circ} \text { below zero. }
\end{array}
\end{aligned}
$$

d. In Peekskill, NY, the temperature at 6: 00a.m. was $-12^{\circ} \mathrm{F}$. At noon, the temperature was the exact opposite of Buffalo's temperature at 6:00a.m. At midnight, a meteorologist recorded the temperature as $-6^{\circ} \mathrm{F}$ in Peekskill. He concluded that, "For temperatures below zero, as the temperature increases, the absolute value of the temperature decreases." Is his conclusion valid? Explain and use a vertical number line to support your answer.
3. Choose an integer between 0 and -5 on a number line, and label the point $P$. Locate and label each of the following points and their values on the number line.

a. Label point $A$ : the opposite of $P$. 3
b. Label point $B$ : a number less than $P .-5$
c. Label point $C$ : a number greater than $P$.
d. Label point $D$ : a number half way between $P$ and the integer to the right of $P .-2.5$
4. Julia is learning about elevation in math class. She decided to research some facts about New York State to better understand the concept. Here are some facts that she found.

- Mount Marcy is the highest point in New York State. It is 5,343 feet above sea level.
- Lake Erie is 210 feet below sea level.
- The elevation of Niagara Falls, NY is 614 feet above sea level.
- The lobby of the Empire State Building is 50 feet above sea level.
- New York State borders the Atlantic coast, which is at sea level.
- The lowest point of Cayuga Lake is 435 feet below sea level.
a. Write an integer that represents each location in relationship to sea level.

b. Explain what negative and positive numbers tell Julia about elevation.

> A negative number means the elevation is below sea level. A positive number means the elevation is above sea level.
c. Order the elevations from least to greatest, and then state their absolute values. Use the chart below to record your work.

| Elevations | Absolute Values of Elevations |
| :---: | :---: |
| -435 | 435 |
| -210 | 210 |
| 0 | 0 |
| 50 | 50 |
| 614 | 614 |
| 5,343 | 5,343 |

d. Circle the row in the table that represents sea level. Describe how the order of the elevations below sea level compares to the order of their absolute values. Describe how the order of the elevations above sea level compares to the order of their absolute values.

The elevations below sea level have absolute values that are their opposites, so the order is opposite. $-435<-210$ but $435>210$.
The elevations above sea level are the same as their absolute values, so the order is the same.

$$
50<614<5,343
$$

5. For centuries, a mysterious sea serpent has been rumored to live at the bottom of Mysterious Lake. A team of historians used a computer program to plot the last five positions of the sightings.

a. Locate and label the locations of the last four sightings: $A\left(-9 \frac{1}{2}, 0\right), B(-3,-4.75), C(9,2)$, and $D(8,-2.5)$.
b. Over time, most of the sightings occurred in Quadrant III. Write the coordinates of a point that lies in Quadrant III.

$$
(-6,-3)
$$

c. What is the distance between point $A$ and the point $\left(9 \frac{1}{2}, 0\right)$ ? Show your work to support your answer.

d. What are the coordinates of point $E$ on the coordinate plane?

$$
(5,2)
$$

e. Point $F$ is related to point $E$. Its $x$-coordinate is the same as point $E^{\prime}$ s, but its $y$-coordinate is the opposite of point $E$ 's. Locate and label point $F$. What are the coordinates? How far apart are points $E$ and $F$ ? Explain how you arrived at your answer.

The coordinates of $F$ are $(5,-2)$. Points $E$ and $F$ are 4 units apart. Since their $x$-coordinates are the same, I just counted the number of units from 2 to -2 (between their $y$-coordinates), and that is 4.

